



Boolean circuit graph with the consideration of Boolean logic diagram

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Abstract

Graph theory provides various application with technology. These technological aspects may be as following: Different strategies for analysis combined with technology like data processing, image segmentation, clustering, image capturing, networking etc.

Keywords: circuit, graph

Introduction

We assume that graph theory may be constructed in such a manner that it will completely cover all the vertices and edges. On the other hand, modeling of network topologies can also give similar prediction of graph theory. Graph theory is combined with coloring concept according to which we can use colored graph for different purpose like allocation of resources and scheduling.

There are certain other applications of graph theory like we can predict the path, and estimate the circuits in graph theory which are implemented in commercial traveler drawback, info style ideas, resource networking. The entire application enables the use of latest algorithms and new theorems. However both new theorem and algorithm give various significant application.

Review of Literature

Michael J. Dorfling (2013) for a set F graphs and a natural number k , a (F, k) - colouring of a graph G is an appropriate shading of $V(G)$ to such an extent that no sub graph of G isomorphic to a component of F is hued with at most k hues. Identically, if P is the class of all charts that don't contain a component of F as a sub graph, a χ^P, k colouring of G is an appropriate colouring with the end goal that the union of at most k colouring classes instigates a diagram in P . The most modest number of hues in such a colouring of G , in the event that it exists, is meant by $\chi^P, k(G)$. We give some broad outcomes on χ^P, k - colouring and research estimations of $\chi^P, k(G)$ for a few decisions of P and classes of charts G .

Samantha Dorfling (2017) A diagram property is any isomorphism-close class of charts. A property is genetic if, at whatever point a chart G is in entire, and H is a sub graph of G , at that point H is likewise in customary. For a hereditary graph property, positive whole number l and a diagram G , let be the base number of hues expected to colours the edges of G , to such an extent that any sub graph of G initiated by edges hued with (at most) l hues is in diagram. We think about the properties and ek , where contains all diagrams of greatest degree at most k and ek contains charts, whose segments have at most k edges. We demonstrate that for charts G of greatest

degree Δ we have and we utilize Erdos-Lovasz neighborhood lemma to demonstrate that for.

Zeynep Ors Yorgancioglu (2015) For a nontrivial associated chart G , focus colouring is a sort of colouring that is to colours the vertices of a diagram G is such a route, to the point that if vertices have distinctive separation from the middle then they should get diverse hues. Two adjoining vertices can get a similar colouring. The quantity of hues expected of such a colouring is called center coloring number $C_c(G)$ of G . This colouring can be connected to pecking order issues to locate the quantity of structures, individuals, criteria and examinations, and so on. In addition it can be connected to quake movement issues to locate the quantity of settlements that are influenced by a seismic tremor. The middle colouring number of some notable classes of diagrams is resolved and a few limits are set up for the center colouring number of a chart as far as other graphical parameters.

Sandi Klavzar (2015) A zone shading of a graph G is an utmost $c: V(G) \rightarrow \mathbb{N}$ to such an extent, to the point that for every $S \subseteq V(G)$, $2 \leq |S| \leq 3$, there exist $u, v \in S$ with $|c(u) - c(v)|$ in any event the measure of edges in the sub outline actuated by S . The most incredible shading doled out by c is the respect $\chi^l(c)$ of c , and the zone chromatic number of G is $\chi^l(G) = \min \{ \chi^l(c) : c \text{ is a near to shading of } G \}$. In this note the territory chromatic number is agreed to Cartesian things $G \square H$, where G and H are 3-colourable diagrams. This outcome to some degree alters a botch from Omoomi and Pourmiri [On the contiguous shading of graphs, Ares Combine. 86 (2008), pp. 147-159]. It is in like way showed that if G and H are diagrams with a definitive target that $\chi(G) \leq \lfloor \chi(H)/2 \rfloor$, by then $\chi^l(G \square H) \leq \chi^l(H) + 1$.

Circuit Graph with Boolean Expression

Circuit graph of the following Boolean expression

$$R = ab + ac$$

Containing three parameters with the consideration of Boolean algebra circuit is as follows:

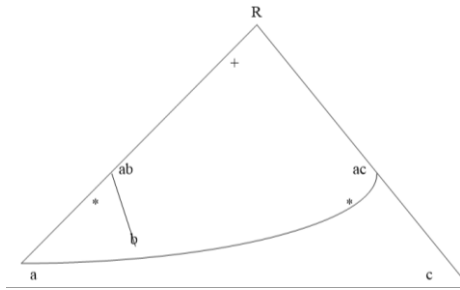


Fig 1: Boolean Expression in the Shape of Boolean Tree Containing One Circuit

The figure 1 circuit graph is containing one circuit against three different parameters.

Circuit graph of the following Boolean expression

$$R = ab + ac + ad$$

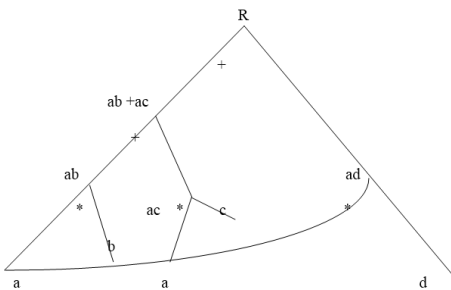


Fig 2: Boolean Expression in the Shape of Boolean Tree Containing Two Circuit

The figure 2 circuit graph is containing three circuits against four different parameters.

Circuit graph of the following Boolean expression

$$R = ab + ac + ad + ae$$

Containing five parameters with the consideration of Boolean algebra circuit is as follows:

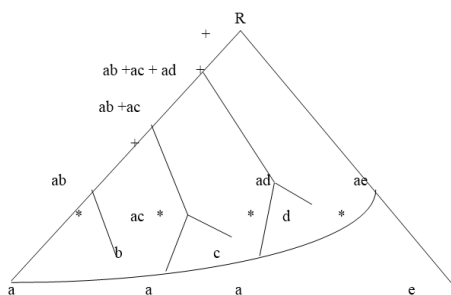


Fig 3: Boolean Expression in the Shape of Boolean Tree Containing Three Circuits

The figure 3 circuit graph is containing six circuits against five different parameters.

Circuit graph of the following Boolean expression

$$R = ab + ac + ad + ae + af$$

Containing six parameters with the consideration of Boolean algebra circuit is as follows:

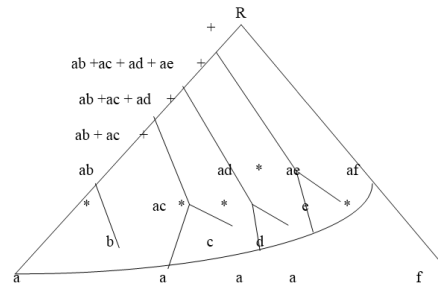


Fig 4: Boolean Expression in the Shape of Boolean Tree Containing Four Circuits

The figure 4 circuit graph is containing ten circuits against six different parameters.

Conclusion

The graphs (figure 1 to 4) contain different circuit with increment of different parameters of Boolean expression by keeping one parameter in common in each segment of equation.

It is inferred from the figures (1 to 4) that is one common parameter is posted on left hand side of the Boolean expression, the result will be as follows:

Table 1

No. of Different Parameters	No. of Circuits	Differences between successive step
3	1	{2}
4	3	{3}
5	6	{4}
6	10	{5}
7	15	

The table shows that in the increment of parameter, the number of circuits will increase subsequently.

It is observed that having one parameter in common in the Boolean expression with the addition of different parameters subsequently, it will show the subsequent increment of circuits in the graph.

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